The view from mathematics

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I am NOT here as a representative of the American Mathematical Society.

CV excerpts:

- ► TRLN copyright committee, mid-1980's
- ► Founded alg-geom branch of arXiv, 1992 (still on arXiv advisory board)
- Committee on Electronic Information and Communication of the International Mathematical Union, 1998–2006
- ▶ Daily user of SPIRES, arXiv, and MathSciNet

Mathematics is Different

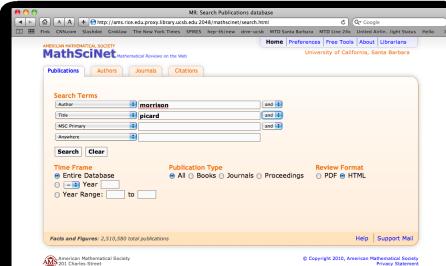
- ► The citation half-life for the mathematics literature is relatively long (Emphasis on retrodigitization)
- ► The mathematics community has traditionally maintained a sharp distinction between the refereed literature and informal communication, and regards refereeing as adding significant value

Mathematics is Similar

- High arXiv penetration in certain subfields of mathematics; moderate in others
- Two extensive databases: Zentralblatt MATH and MathSciNet



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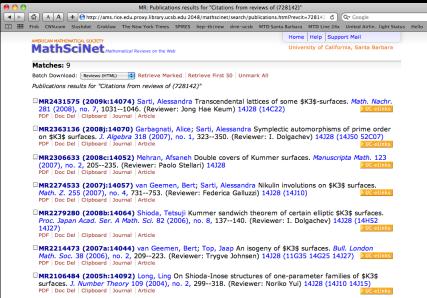
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Let \$X\$ be a complex algebraic surface of type \$K3\$ with Picard number \$\text{Pirholgeq}\$ 19\$. The author proves that the lattice \$T. X\$ of transcendental cycles on \$\text{\$X}\$ is isomorphic to the lattice of transcendental cycles on an abelian surface \$\text{\$X}\$. Moreover, this isomorphism is induced by a correspondence between \$X\$ and \$\text{\$A}\$; there exists an involution on \$X\$ whose quotient is the Kummer surface associated to \$\text{\$A}\$. Earlier, this result was proven by T. Shloda and H. Inose in the case \$\text{\$x}\$+nb=20\$ [Complex analysis and algebraic geometry, 119--136, Iwanami Shoten, Tokyo, 1977; MR0441982 (56 #371)]. The same result is also true if \$\text{\$x}\$+nb=18\$ [resp. \$\text{\$W}\$-12\$ [resp. \$\text{\$W}\$-13\$] fone assumes additionally that \$\text{\$T}\$. X\$ contains the hyperbolic plane lattice \$\text{\$W}\$ [resp. \$\text{\$W}\$-2\$] as an orthogonal complement. The proof of this result is based on V. V. Nikulin's work on the arithmetic of quadratic forms [Izv. Akad. Nauk SSSR Ser. Mat. 43 (1979), no. 1, 111--177; MR0525944 (80):10031)]. It follows from this work that under the above assumptions on \$\text{\$X}\$\$, there exists an embedding of lattices \$\text{\$E}\$. 8(-1)^2\text{\$V}\$hookrightarrow(\text{\$Y}\$ [NS]\$. Another result of Nikulin (bild). Ser. Mat. 39 (1975), no. 2, 278-293; MR0429917 (55 #2926)] the quotient \$\text{\$Y}\$=X/I\$\$ is a Kummer surface. The paper also contains a cince survey of some of Nikulin (sixulin's results together with some of their immediate applications \$\text{\$X}\$\$ surfaces as one survey of some of Nikulin's results together with some of their immediate applications \$\text{\$X}\$\$ surfaces. A remark added in proof explains that after applying a recent result of S. Mukai one can prove a more general result, conjectured earlier (in a weaker form) by T. Oda : Let \$\text{\$X}\$\$ be an algebraic \$\text{\$X}\$\$ surfaces such that there exists an anebelding \$\text{\$(T_X\text{\$V}\$) immes \$\text{\$V}\$ of \$\text{\$Y}\$\$} is a correspondence between \$\text{\$X}\$\$ and \$\text{\$S}\$ surfaces a

Reviewed by I. Dolgachev

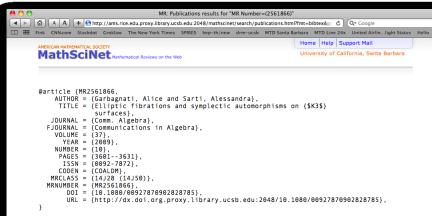


MR1130874 (92m:14049) Nikulin V. V. On rational mans between \$K3\$ surfaces. Constantin



8. Dolgachev, I. (1996). Mirror symmetry for lattice polarized K3 surfaces. Algebraic Geometry J. Math. Sci.

MR0055381 (14.1066a)



Matches: 1



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MathSciNet.

- Author ID
- ▶ Limited, but growing, citation information
- Very broad coverage of mathematics, loosely defined
- Available by subscription only (via libraries)